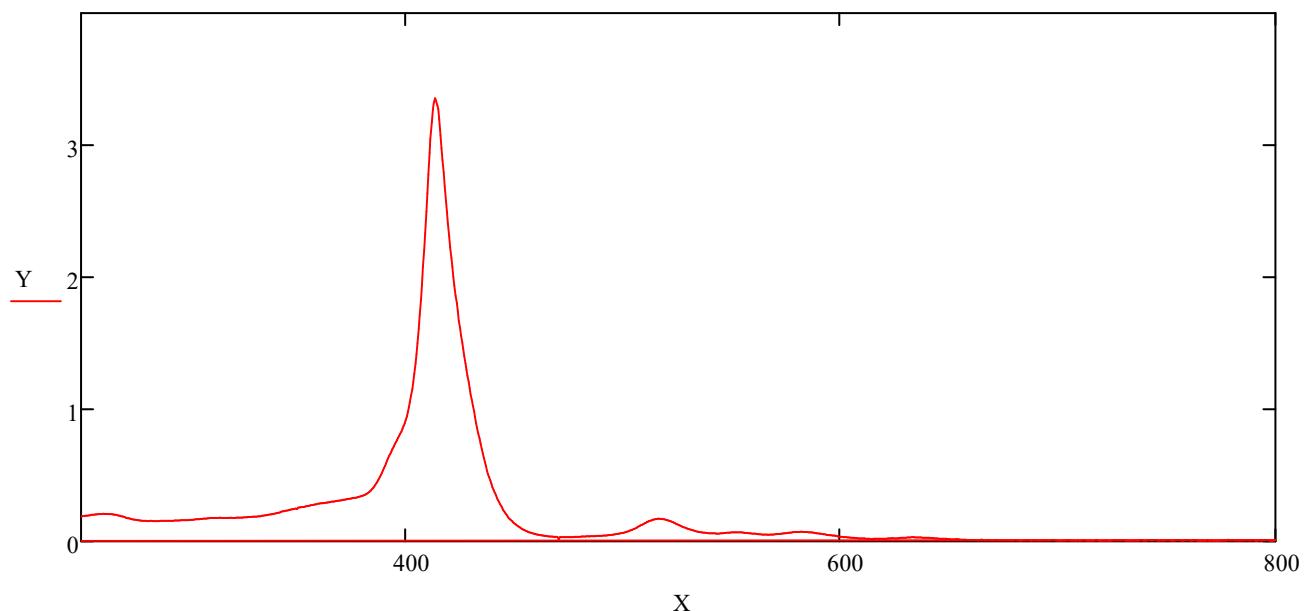


W :=
C-star calculations 2003 version.xls

X := W⁽⁸⁾

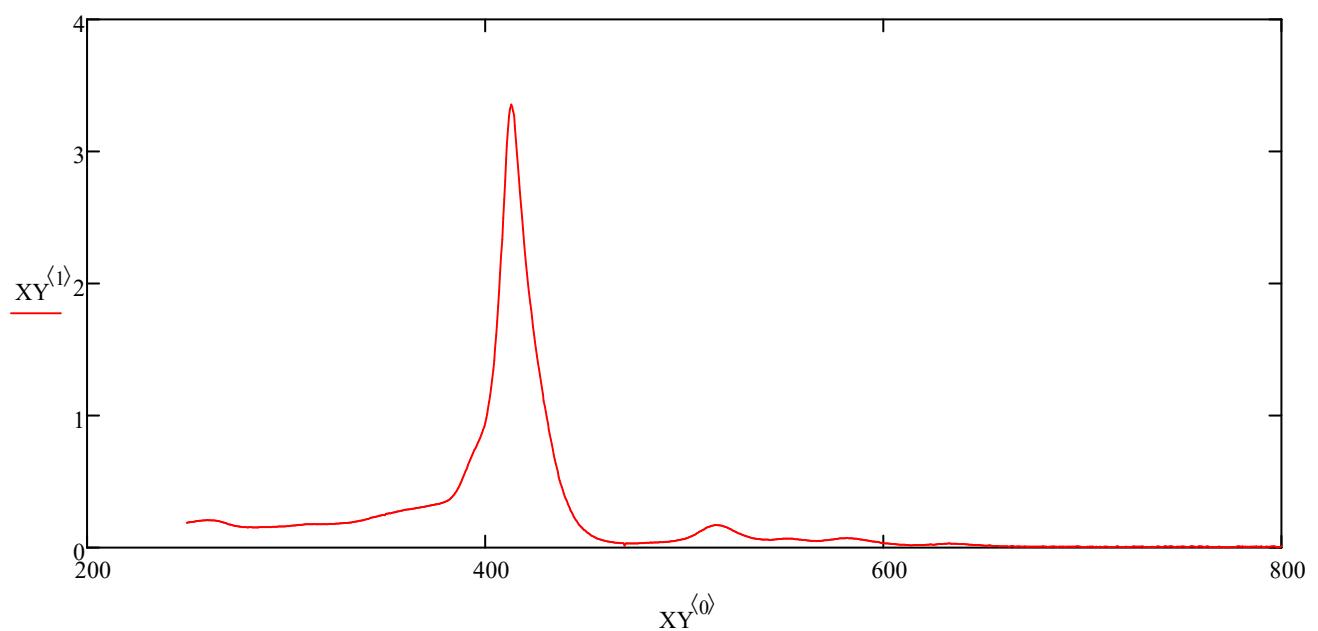
Y := W⁽¹³⁾



XY := augment(X, Y)

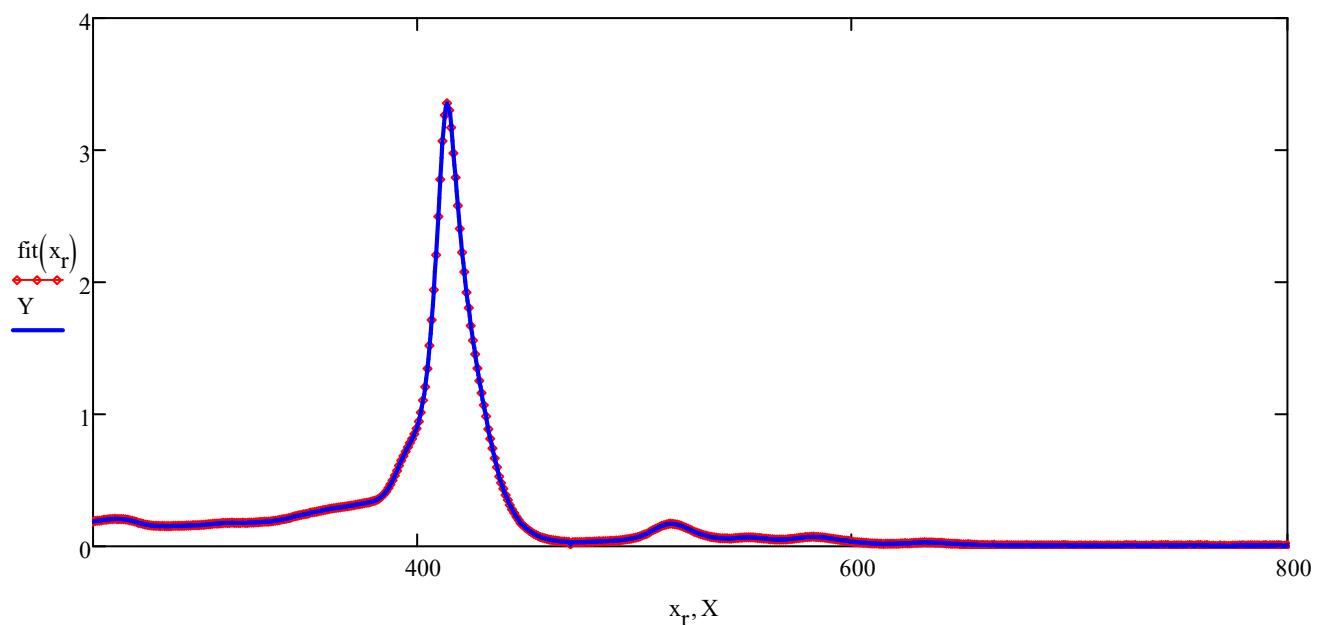
XY := csort(XY, 0)

XY := submatrix(XY, match(250, XY⁽⁰⁾)₀, rows(XY) - 1, 0, 1)



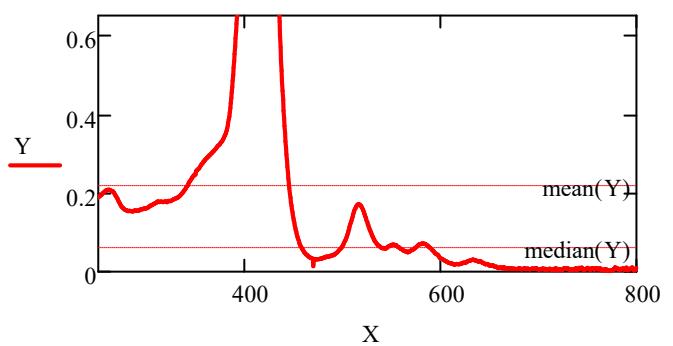
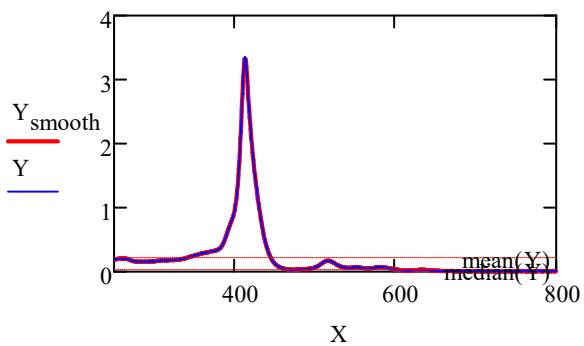
$$X := XY^{(0)} \quad Y := XY^{(1)} \quad S := \text{cspline}(XY^{(0)}, XY^{(1)}) \quad \text{fit}(x) := \text{interp}(S, XY^{(0)}, XY^{(1)}, x)$$

$$x_r := 250, 251..800$$



$$\int_{250}^{800} \text{fit}(x) dx = 122.909$$

$$Y_{\text{smooth}} := \text{medsmooth}(Y, 5) \quad \text{will not be used in this sheet}$$



```

find_base(X, Y) := | Xb <- 0
                     | Yb <- 0
                     | tresh <- mean(Y)
                     | for i < 0 .. last(X)
                     |   if Yi < tresh
                     |     Xbrows(Xb) <- Xi
                     |     Ybrows(Yb) <- Yi
                     |   line(Xb, Yb)

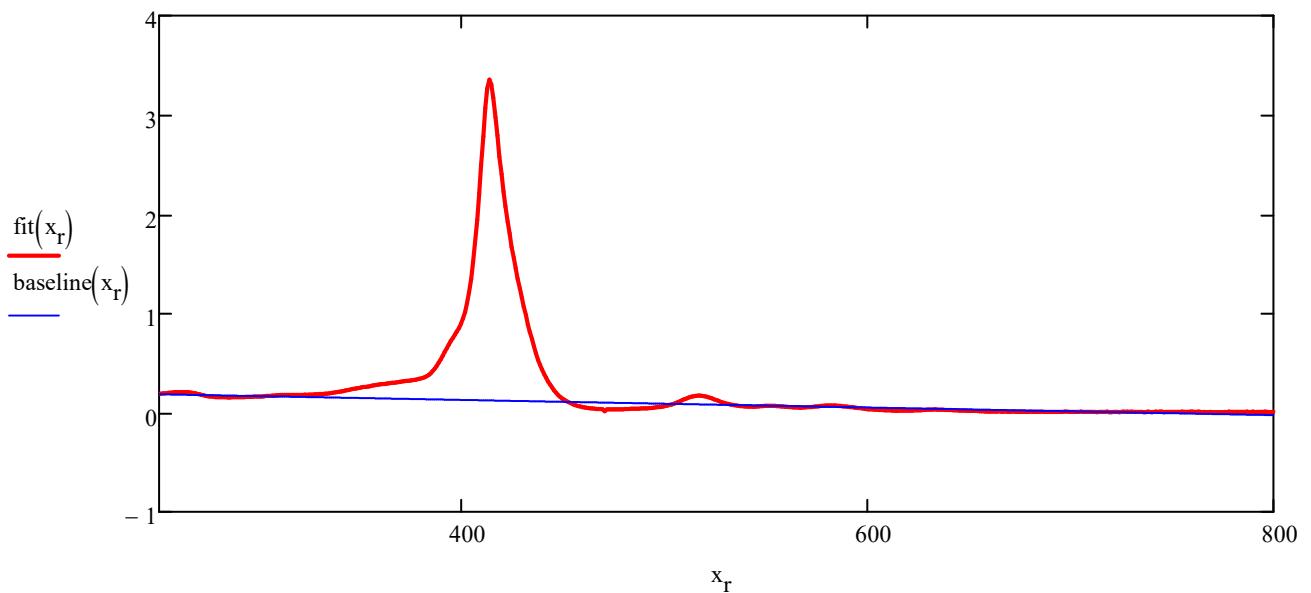
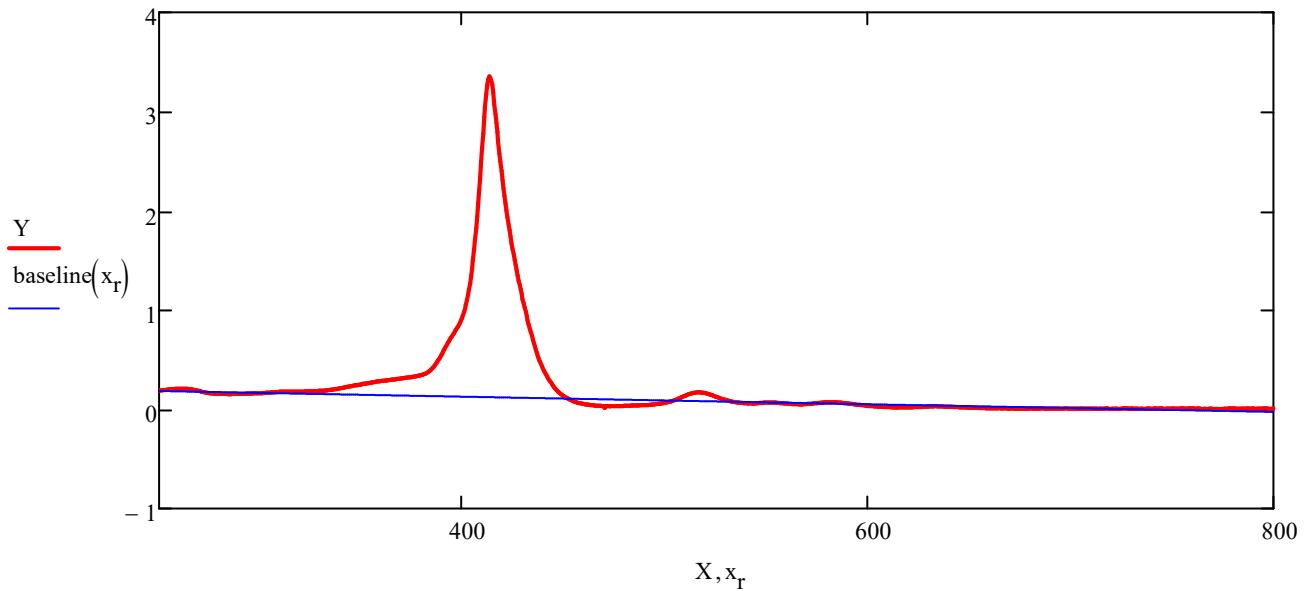
```

All point with Y-values greater than the arithmetic mean of all Y-values will be ignored when calculating the best linear fit.

You may try to use "median" instead of "mean" - that way ignoring exactly half of the data.

$$\text{coeff} := \text{find_base}(X, Y) = \begin{pmatrix} 0.28 \\ -3.822 \times 10^{-4} \end{pmatrix}$$

$$\text{baseline}(x) := (1 - x) \cdot \text{coeff} \quad \text{baseline}(x) \rightarrow -3.82228 \times 10^{-4} \cdot x + 0.2798$$



$$\int_{250}^{800} (\text{fit}(x) - \text{baseline}(x)) dx = 79.388$$

The same with an exponential fit

```
find_base(X, Y) := | Xb ← 0
                     | Yb ← 0
                     | thresh ← mean(Y)
                     | for i ∈ 0 .. last(X)
                     |   if Yi < thresh
                     |     | Xbrows(Xb) ← Xi
                     |     | Ybrows(Yb) ← Yi
                     | expfit(Xb, Yb)
```

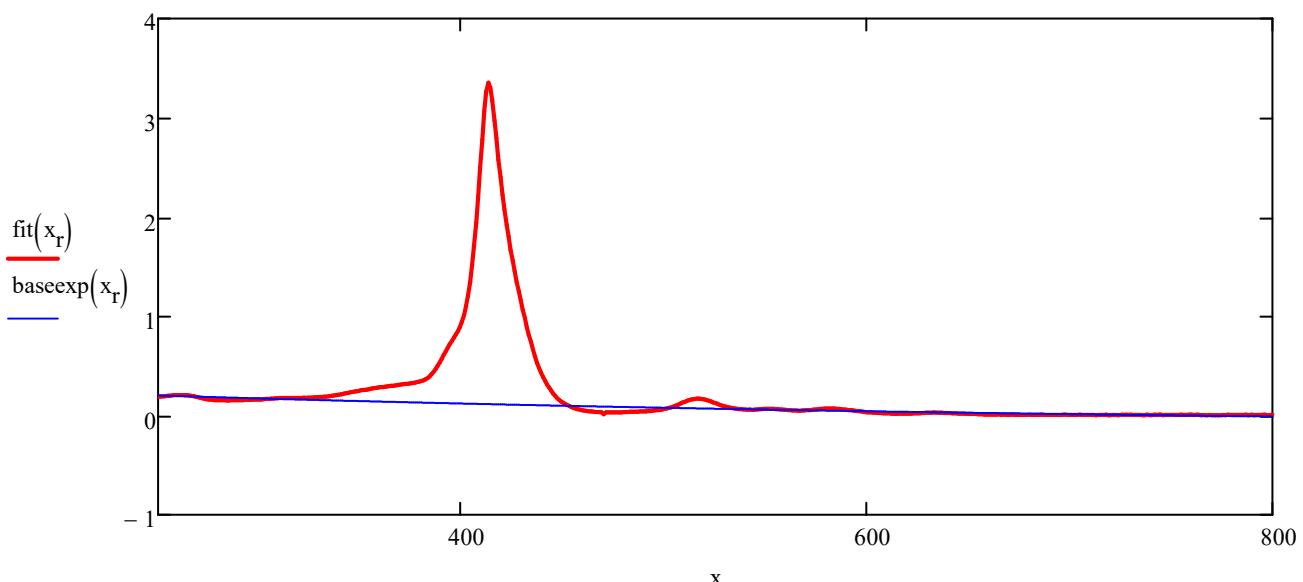
All point with Y-values greater than the arithmetic mean of all Y-values will be ignored when calculating the best linear fit.

You may try to use "median" instead of "mean" - that way ignoring exactly half of the data.

$$co := \text{find_base}(X, Y) = \begin{pmatrix} 0.525 \\ -1.933 \times 10^{-3} \\ -0.121 \end{pmatrix}$$

$$\text{baseexp}(x) := co_0 \cdot e^{\frac{co_1 \cdot x}{}} + co_2$$

$$\text{baseexp}(x) \rightarrow 0.52519 \cdot e^{-0.00193 \cdot x} - 0.12125$$



$$\int_{250}^{800} (\text{fit}(x) - \text{baseexp}(x)) dx = 79.825$$

Just for demonstration

```
(Xb Yb) := | Xb ← 0
              | Yb ← 0
              | thresh ← mean(Y)
              | for i ∈ 0 .. last(X)
              |   if Yi < thresh
              |     | Xbrows(Xb) ← Xi
              |     | Ybrows(Yb) ← Yi
              |   |
              | (Xb Yb)
```

