

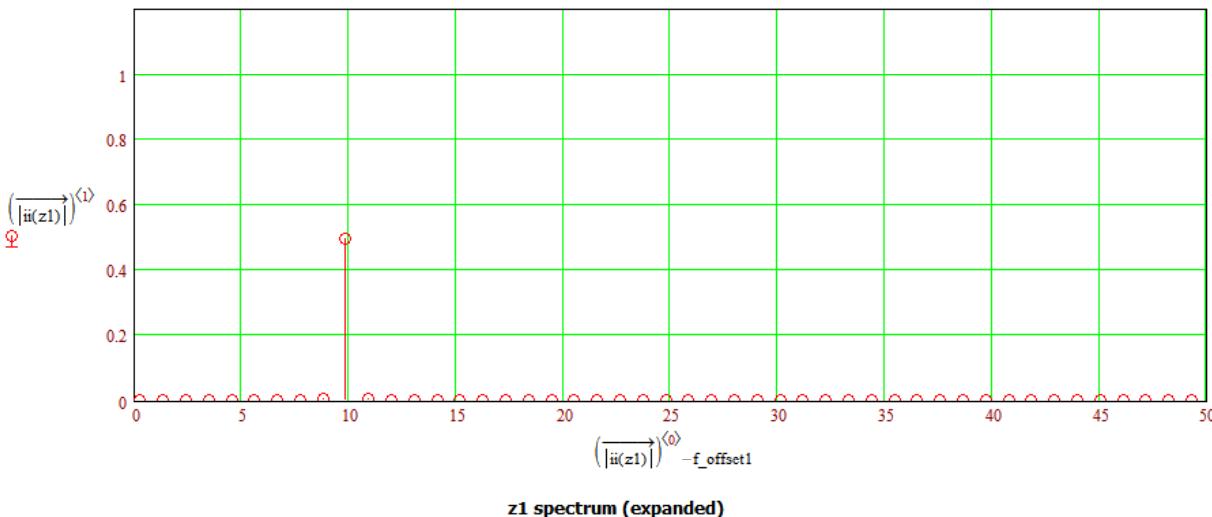
Try these values for z1: 5.00 500
 5.3285 502.885
 5.2165 503 round(z1 - 10)
 z1 := 532.85 + f_offset1 := round(z1 - 10)

bin center

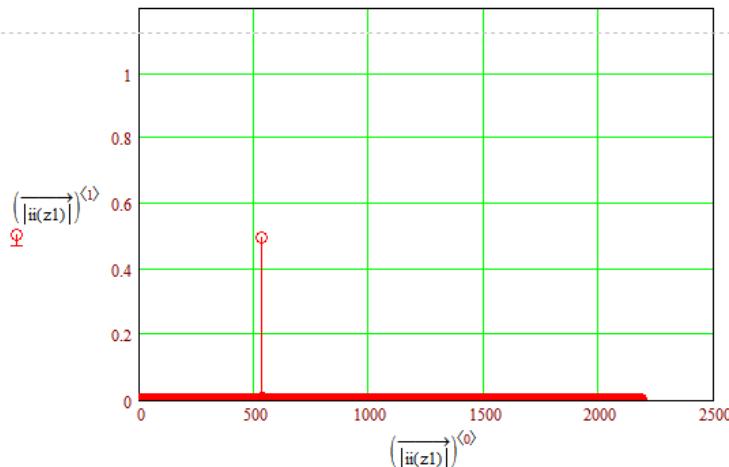
freqz(z1) = 500.01

pwrZ(z1) = 0.5

pwrz(z1) = 0.5



z1 = 532.85



freq in terms of bin #

$$\text{freqz}(z) := \frac{N_0 \cdot \Delta k \cdot z}{\pi}$$

$$\text{pwrZ}(z) := \begin{cases} \text{"power in freq spectrum"} \\ Z \leftarrow i(z) \\ \left(|Z_0| \right)^2 + 2 \cdot \sum_{k=1}^{\text{last}(Z)} \left(|Z_k| \right)^2 \end{cases}$$

$$\text{pwrz}(z) := \begin{cases} \text{"power in time sequence"} \\ vz \leftarrow I(z) \\ \frac{1}{\text{rows}(vz)} \cdot \sum_{k=0}^{\text{last}(vz)} \left(|vz_k| \right)^2 \end{cases}$$

keeps both spectral sections within graph plot.

Number of cycles over full sampling interval ($N_0 \cdot \Delta k$ repeat interval).
 spectral "leakage" occurs when this is not an integer.

z1 = 532.85

$$\frac{10 \cdot \Delta k \cdot z_1}{\pi} = 500.01$$

for z1 component

 $\delta_1 = 228.16$

$$\frac{10 \cdot \Delta k \cdot (z_1 + \delta_1)}{\pi} = 714.12 \quad \text{for } z_1 + \delta_1 \text{ component}$$

Number of samples per cycle (want >2 to prevent aliasing)

$$\frac{N_0 \cdot \pi}{10 \cdot \Delta k \cdot z_1} \text{ samples per cycle}$$

$$\frac{N_0 \cdot \pi}{10 \cdot \Delta k \cdot z_1} = 8.19$$

for z1 component

$$\frac{N_0 \cdot \pi}{10 \cdot \Delta k \cdot (z_1 + \delta_1)} = 5.74$$

for $z_1 + \delta_1$ component