

$$\text{cyl}_x(r, l, \varphi) := \begin{pmatrix} 1 \\ r \cdot \cos(\varphi) \\ r \cdot \sin(\varphi) \end{pmatrix} \quad \text{cyl}_y(r, l, \varphi) := \begin{pmatrix} r \cdot \cos(\varphi) \\ 1 \\ r \cdot \sin(\varphi) \end{pmatrix} \quad \text{cyl}_z(r, l, \varphi) := \begin{pmatrix} r \cdot \cos(\varphi) \\ r \cdot \sin(\varphi) \\ 1 \end{pmatrix}$$

$$R := 20 \quad d := \frac{\text{FRAME}}{2} + 15 \quad \text{For animations delete the "15"}$$

First attempt was $d=0$ meaning that the axis intersect. So later every d was replaced by $R-d$ to duplicate the situation in the posting

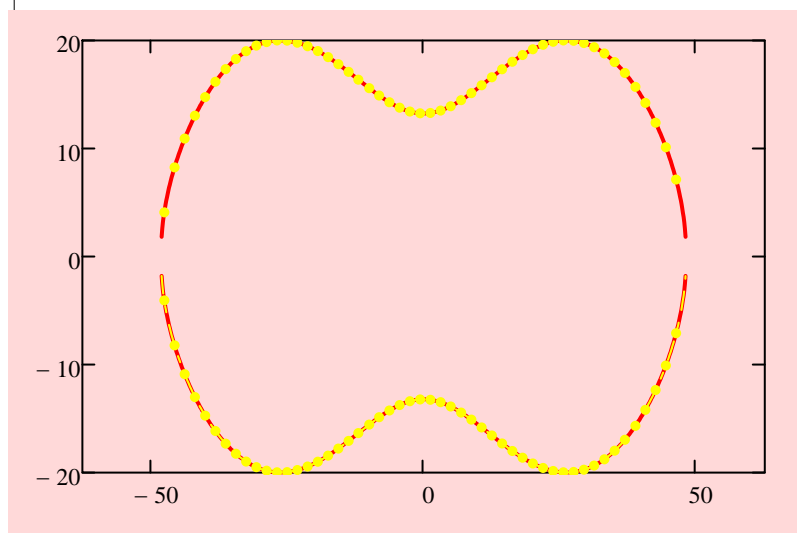
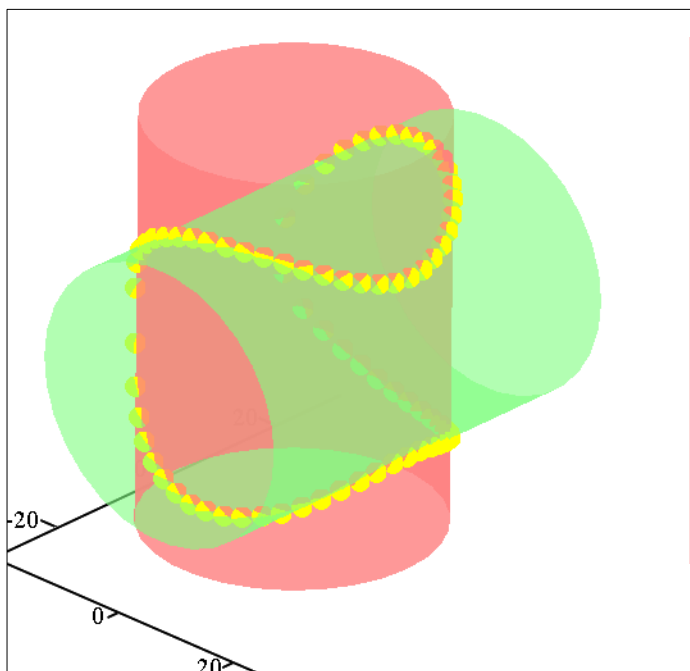
$$\text{Zyl1}(a, b) := \text{cyl}_z(R, a, b) \quad \text{Zyl2}(a, b) := \text{cyl}_y(R, a, b) + \begin{pmatrix} R - d \\ 0 \\ 0 \end{pmatrix}$$

$$D(r, d, \varphi) := \begin{bmatrix} r \cdot \cos(\varphi) \\ r \cdot \sin(\varphi) \\ \text{if} \left[r^2 - (r \cdot \cos(\varphi) - r + d)^2 \geq 0, \sqrt{r^2 - (r \cdot \cos(\varphi) - r + d)^2} \cdot [2 \cdot (\varphi > 0) - 1], 1000 \right] \end{bmatrix}$$

This is very quick and very dirty - nothing you should learn from. If z would be complex the value is set to 1000, out of sight. Therefore we should not connect the points

$$P(\psi) := D(R, d, \psi)$$

$$\text{vereb}(r, d, x) := \sqrt{r^2 - \left(r \cdot \cos\left(\frac{x}{r}\right) - r + d \right)^2}$$



$$R = 20 \quad d = 15.0$$

Zyl1, Zyl2, P