

define an half-sine pulse

$$A_{max} := 1 \quad \omega_f := 571.2 \quad \theta := 0 \quad f_f := \frac{\omega_f}{2 \cdot \pi} \quad T_f := \frac{1}{f_f} \quad tpulse := \frac{T_f}{2}$$

$$tpulse = 5.5 \times 10^{-3}$$

Units!

$$A_{max} := 1 \cdot g \quad \omega_f := 90.909 \text{ Hza} \quad f_f := \frac{\omega_f}{2 \cdot \pi} = 90.909 \text{ Hz} \quad T_f := f_f^{-1} \quad tpulse := \frac{T_f}{2} = (5.5 \cdot 10^{-3}) \text{ s}$$

$$\frac{571.2}{2 \cdot \pi} = 90.909$$

Total analysis time is

$$tend := 200 \cdot T_f$$

$$tend := 200 \cdot T_f = 2.2 \text{ s}$$

Number of time step

$$nsteps := 5000$$

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Analysis time step

$$\Delta t := \frac{tend}{nsteps}$$

$$\Delta t := \frac{tend}{nsteps} = (4.4 \cdot 10^{-4}) \text{ s}$$

Time range

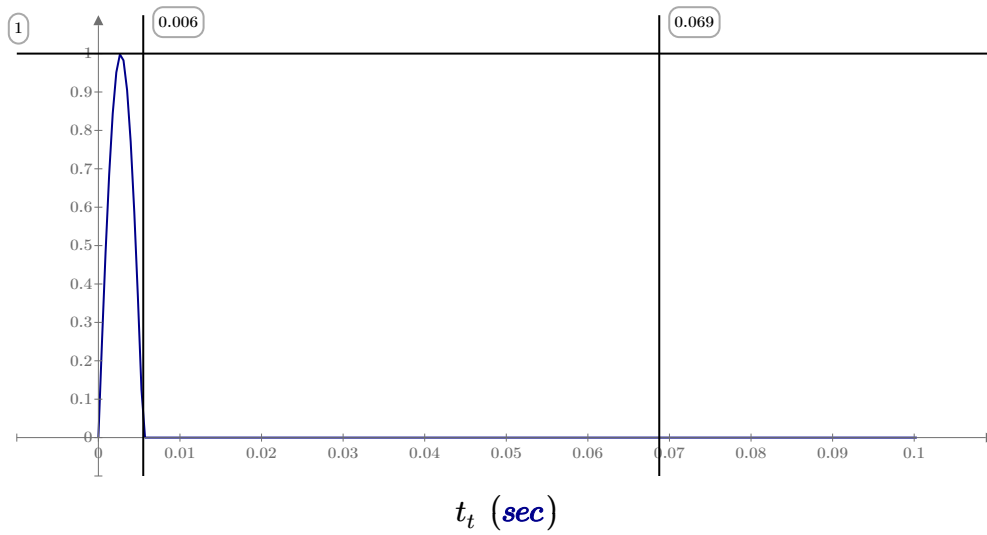
$$t := 0, \Delta t .. tend$$

$$t_i := 0 \cdot s, \Delta t .. tend$$

$$a_b(t) := \begin{cases} A_{max} \cdot \sin(\omega_f \cdot t + \theta) & \text{if } t \leq tpulse \\ 0 & \text{otherwise} \end{cases}$$

You're creating a function

$$a_b(t) := A_{max} \cdot \sin(\omega_f \cdot t) \cdot (t \leq tpulse)$$



$$i := 0, 1..2000 \quad \omega_{n_i} := i \quad \zeta := 0$$

$$SRS_i := \left| \begin{array}{l} \omega_i \leftarrow 2 \cdot \pi \cdot \omega_{n_i} \\ \max \left[\frac{\omega_i}{\sqrt{1 - \zeta^2}} \cdot \int_0^t a_b(\tau) \cdot e^{-\zeta \cdot \omega_i \cdot (t - \tau)} \cdot \sin \left[\omega_i \cdot \sqrt{1 - \zeta^2} \cdot (t - \tau) \right] d\tau \right] \end{array} \right|$$

$$i := 0..3200 \quad \omega_{n_i} := \frac{i}{10} \cdot \text{Hza} \quad \zeta := 0$$

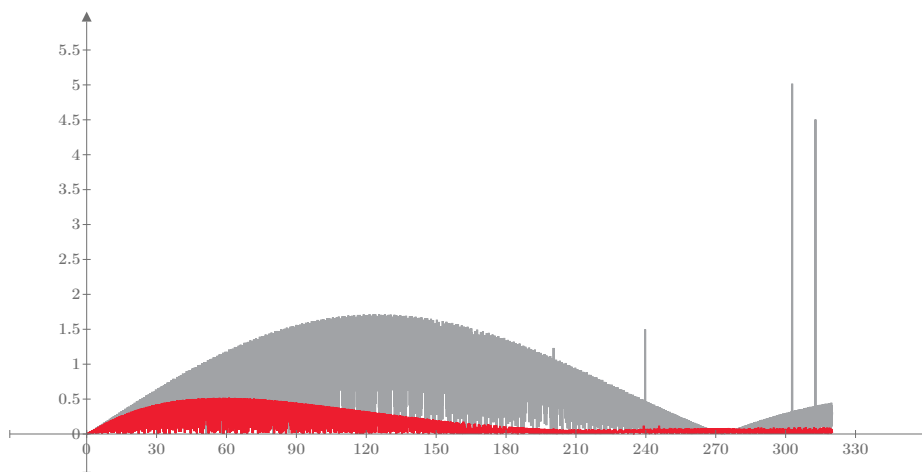
$$\frac{2000}{2 \cdot \pi} = 318.31$$

I'm not sure exactly what you're trying to do here, but since $\zeta = 0$ this can be simplified. The problem with the code above is that t is not defined; it is supposed to be the end point of your integration by τ

The most direct and intuitive way to generate an SRS from a shock waveform is the following procedure:[2]

- Pick a damping ratio (or equivalently, a quality factor Q) for your SRS to be based on;
 - Pick a frequency f , and assume that there is a hypothetical Single Degree of Freedom (SDOF) system with a damped natural frequency of f ;
 - Calculate (by direct time-domain simulation) the maximum instantaneous absolute acceleration experienced by the mass element of your SDOF at any time during (or after) exposure to the shock in question. This acceleration is a ;
 - Draw a dot at (f, a) ;
 - Repeat steps 2–4 for many other values of f , and connect all the dots together into a smooth curve.
- The resulting plot of peak acceleration vs test system frequency is called a Shock Response Spectrum. It is often plotted with frequency in Hz, and with acceleration in units of g

$$SRS(\omega, \zeta) := \max \left(\left| \frac{\omega}{\sqrt{1 - \zeta^2}} \cdot \int_{0.8}^{tend} a_b(\tau) \cdot e^{-\zeta \cdot \omega \cdot (tend - \tau)} \cdot \sin(\omega \cdot \sqrt{1 - \zeta^2} \cdot (tend - \tau)) d\tau \right| \right)$$



$$\frac{SRS(\omega_{n_i}, \zeta) (g)}{SRS(\omega_{n_i}, 0.001) (g)}$$

$$\omega_{n_i} (Hza)$$