

if I define all the variables on the right, the only unknowns remained should be Ctop and Rbot. I want to get all the expression with variables Ctop and Rbot and substitute all other symbols with real numbers.

$$C_{cl} := 20 \cdot 10^{-12} \quad C_c := 10.5 \cdot 10^{-12}$$

$$f := 500000 \quad \omega := 2 \cdot \pi \cdot f \quad R_{vesr} := 442500$$

$$V_{out} := 3.3$$

$$V_{ref} := 0.75$$

$$V_{in} := 12$$

$$Z_{cl} := \frac{1}{i \cdot \omega \cdot C_{cl}} \quad Z_{cc} := \frac{1}{i \cdot \omega \cdot C_c}$$

$$R_{top}(R_{bot}) := R_{bot} \cdot \left(\frac{V_{out} - V_{ref}}{V_{ref}} \right) \quad Req(R_{bot}) := R_{bot} \cdot \frac{R_{top}(R_{bot})}{R_{bot} + R_{top}(R_{bot})}$$

$$Z_{top}(C_{top}) := \frac{1}{i \cdot \omega \cdot C_{top}} \quad Zeq(R_{bot}, C_{top}) := Z_{cc} + Req(R_{bot}) \cdot \frac{Z_{top}(C_{top})}{Req(R_{bot}) + Z_{top}(C_{top})}$$

$$Z_{tot}(R_{bot}, C_{top}) := R_{vesr} + \frac{Zeq(R_{bot}, C_{top}) \cdot Z_{cl}}{Zeq(R_{bot}, C_{top}) + Z_{cl}}$$

$$T_{on} := \frac{V_{out}}{V_{in} \cdot f}$$

$$V_{cl}(R, C) := (V_{in} - V_{out}) \cdot \left(1 - e^{-\frac{T_{on}}{R \cdot C}} \right)$$

Made this a function of R and C because these aren't yet specified.

$$V_{fb1}(R_{bot}, C_{top}) := V_{cl}(R_{bot}, C_{top}) \cdot Req(R_{bot}) \cdot \frac{Z_{top}(C_{top})}{Z_{cc} \cdot (Req(R_{bot}) + Z_{top}(C_{top})) + Req(R_{bot}) \cdot Z_{top}(C_{top})}$$

$$R := \operatorname{Re}(Z_{\text{tot}}(R_{\text{bot}}, C_{\text{top}}))$$

$\left \begin{array}{l} \text{assume, ALL} > 0 \\ \text{simplify} \end{array} \right.$	$\rightarrow 442500.0 - \frac{1.0 \cdot (7.2077768073098629401e19 \cdot R_{\text{bot}}^2 - 5.0115689594749792489e56 \cdot C_{\text{top}}^2 \cdot R_{\text{bot}}^2 +$
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$$C := \frac{1}{\omega \cdot |\operatorname{Im}(Z_{\text{tot}}(R_{\text{bot}}, C_{\text{top}}))|}$$

$\left \begin{array}{l} \text{assume, ALL = real} \\ \text{simplify} \end{array} \right.$	$\rightarrow \frac{3.1904638901853977782e88 \cdot C_{\text{top}}^2 \cdot R_{\text{bot}}^2 + 4.3}{1.046053734487015665e99 \cdot C_{\text{top}}^2 \cdot R_{\text{bot}}^2 + 1.8}$
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$$\operatorname{Re}(V_{\text{fb1}}(R_{\text{bot}}, C_{\text{top}}))$$

$\left \begin{array}{l} \text{assume, All = real} \\ \text{simplify} \end{array} \right.$	$\rightarrow -\operatorname{Re} \left[\frac{(-0.0000021399105530264836509186i) \cdot R_{\text{bot}} + (0.0)}{(2.45966730232929155278e-7i) \cdot R_{\text{bot}} + (23425.40287)} \right]$
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$$\operatorname{Im}(V_{\text{fb1}}(R_{\text{bot}}, C_{\text{top}}))$$

$\left \begin{array}{l} \text{assume, All = real} \\ \text{simplify} \end{array} \right.$	$\rightarrow -\operatorname{Im} \left[\frac{(-0.0000021399105530264836509186i) \cdot R_{\text{bot}} + (0.0)}{(2.45966730232929155278e-7i) \cdot R_{\text{bot}} + (23425.40287)} \right]$
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variables need to be defined: Ccl, Vin, Vout, Vref, Cc, ω , Rvesr, f, Ton

Remember Mathcad works left-to-right, top-to-bottom

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$$\frac{7.788012576198740286e42 \cdot R_{bot} + 1.3680327868852459016e31 \cdot C_{top} \cdot R_{bot}^2 + 1.1438185860691173225e29}{\cdot 6.901176927801610769e45 \cdot C_{top} \cdot R_{bot}^2 + 2.375815007931702068e34 \cdot R_{bot}^2 + 8.5039653929942814098e43}$$

$$\frac{3934256848454657929e77 \cdot C_{top} \cdot R_{bot}^2 + 1.5124908095369636336e66 \cdot R_{bot}^2 + 5.413792512709808849e75}{18590140038491988e88 \cdot C_{top} \cdot R_{bot}^2 + 7.5624540476848181681e76 \cdot R_{bot}^2 + 1.7750139385933799505e86}$$

$$\left. \frac{\frac{1}{C_{top}} - 5.5e-7}{R_{bot}} \right|_{\begin{array}{l} 000021399105530264836509186i \cdot R_{bot} \cdot e \\ 9326586217i \cdot C_{top} \cdot R_{bot} + 0.00964963653736550204227 \end{array}}$$

$$\left. \frac{\frac{1}{C_{top}} - 5.5e-7}{R_{bot}} \right|_{\begin{array}{l} 000021399105530264836509186i \cdot R_{bot} \cdot e \\ 9326586217i \cdot C_{top} \cdot R_{bot} + 0.00964963653736550204227 \end{array}}$$