

implicitplot2d()

Draghilev's method

$$F(X) := \begin{pmatrix} (x \ y) \leftarrow (X_0 \ X_1) \\ x^2 + y^2 - 8 \\ \sin(x \cdot y) \cdot \sin(\exp(x \cdot y)) \end{pmatrix}$$

 $D(t, x) := \text{Draghilev}(F(x)) \rightarrow$ Given  $F(\text{stack}(x, y))_0 = 0$      $\text{GetX0}(x, y) := \text{Find}(x, y)$  $X0 := \text{GetX0}(2, -0.5)$      $tmin := 0$      $tmax := 15$      $N := 3500$      $ii := 0..N-1$  $\text{result} := \text{rkfixed}(\text{stack}(X0, 1, X0), tmin, tmax, N, D)$  $T := \text{result}^{\langle 0 \rangle}$      $X := \text{result}^{\langle 1 \rangle}$      $Y := \text{result}^{\langle 2 \rangle}$      $V := \text{result}^{\langle 3 \rangle}$ 

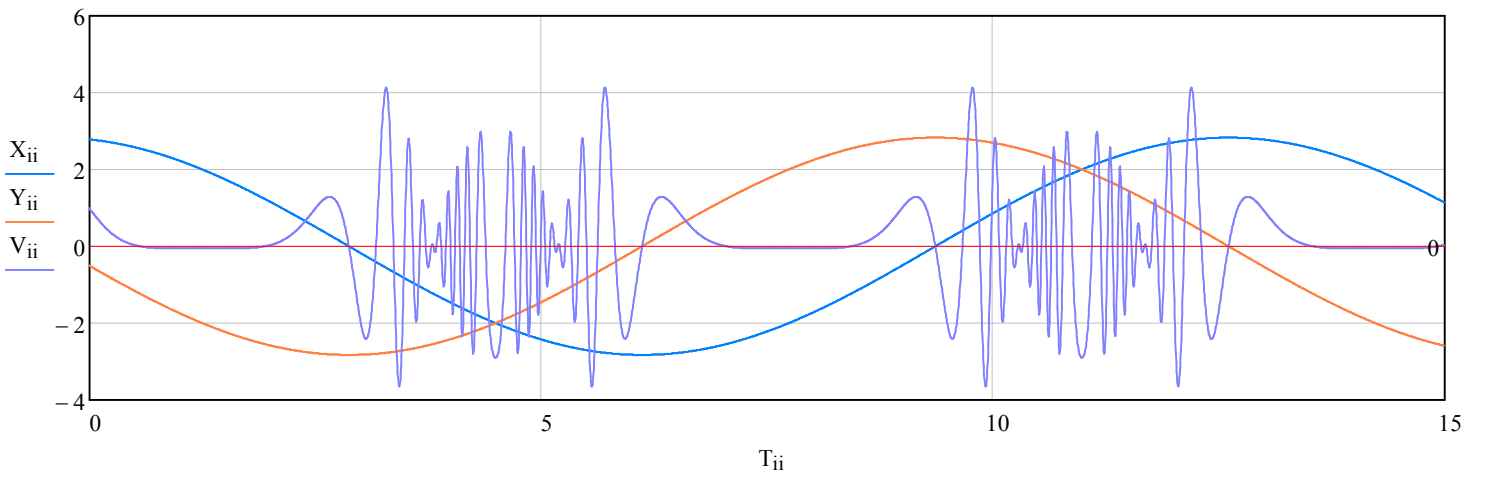
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Roots(res) :=
  n ← ⌊ cols(res) / 2 ⌋
  v ← res⟨n⟩
  nv ← Search(v)
  for ii ∈ 0..length(nv) - 1
    for jj ∈ 1..n - 1
      outii, jj-1 ← Interpol[ (res⟨jj⟩)(nvii), (res⟨jj⟩)(nvii+1), v(nvii), v(nvii+1) ]
  out

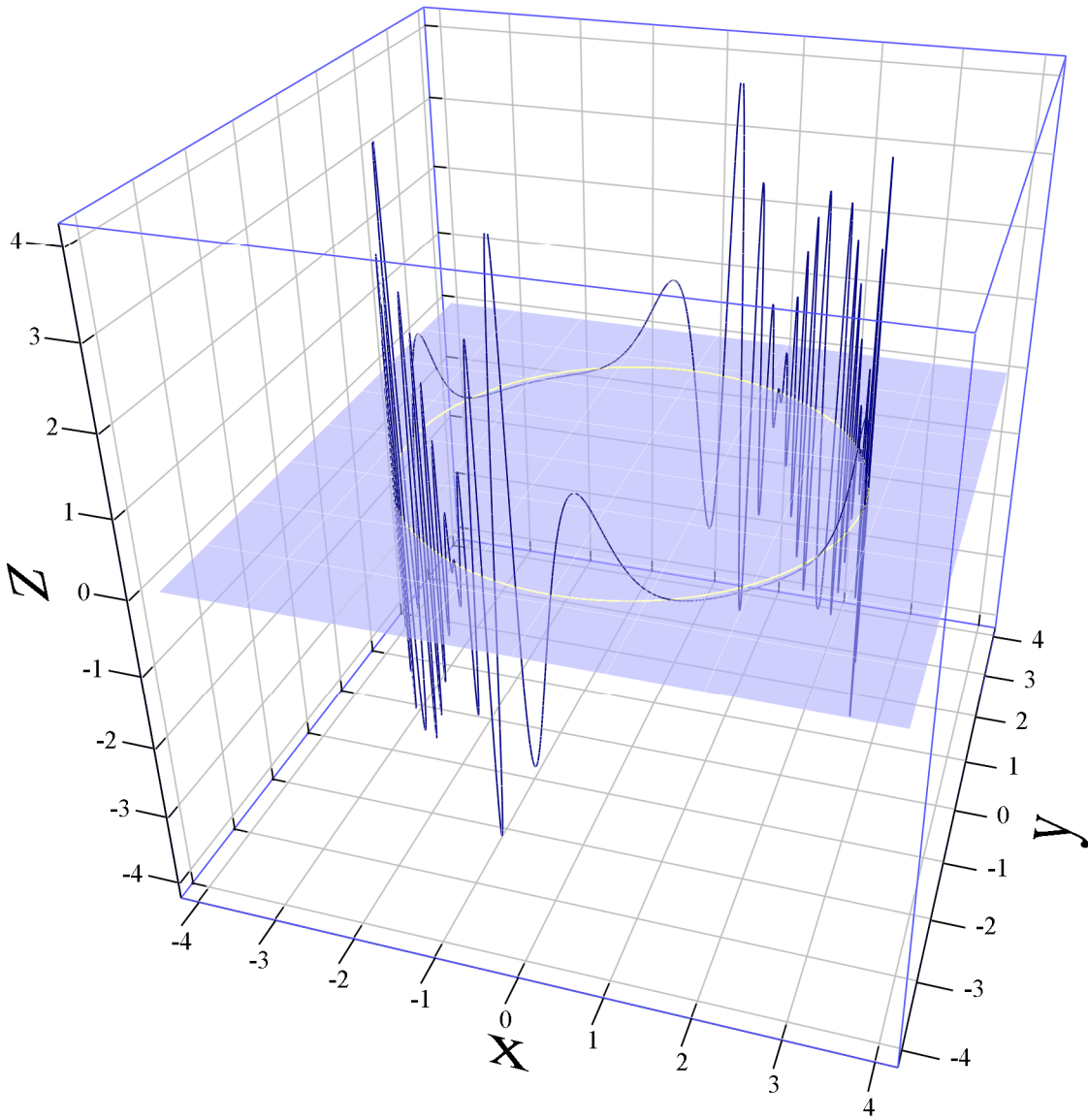
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 $\text{roots} := \text{Roots}(\text{result})$      $\text{rows}(\text{roots}) = 82$ 

	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	
$\text{roots}^T =$	0	2.545	1.235	$\cdot 10^{-5}$	0.409	0.669	-0.83	-0.95	1.048	1.133	1.209	1.234	1.278	1.342	1.404	1.464
	1	1.235	2.545	2.828	2.799	2.748	2.704	2.664	2.627	2.592	2.557	2.545	2.523	-2.49	2.455	...



Curve := (X Y V)<sup>T</sup>    Plane(x,y) := 0    CurveProj := (X Y V·0)<sup>T</sup>    RootsPoints := (roots<sup><0></sup> roots<sup><1></sup> roots<sup><0></sup>·0)<sup>T</sup>



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xmin := -4   ymin := -4   xmax := 4   ymax := 4
coords :=  $\begin{pmatrix} \text{xmax} & \text{ymax} \\ \text{xmin} & \text{ymin} \end{pmatrix}$ 
(nx ny) := (30 30)   grids := (nx ny)T
f(x,y) := F(stack(x,y))0   S1 := implicitplot2d(f, coords, grids)
(nx ny) := (200 200)   grids := (nx ny)T
f(x,y) := F(stack(x,y))1   S2 := implicitplot2d(f, coords, grids)

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